

# Impressions of CARM/ALS

J. Kissel, for the people way smarter  
than me.

# Primer

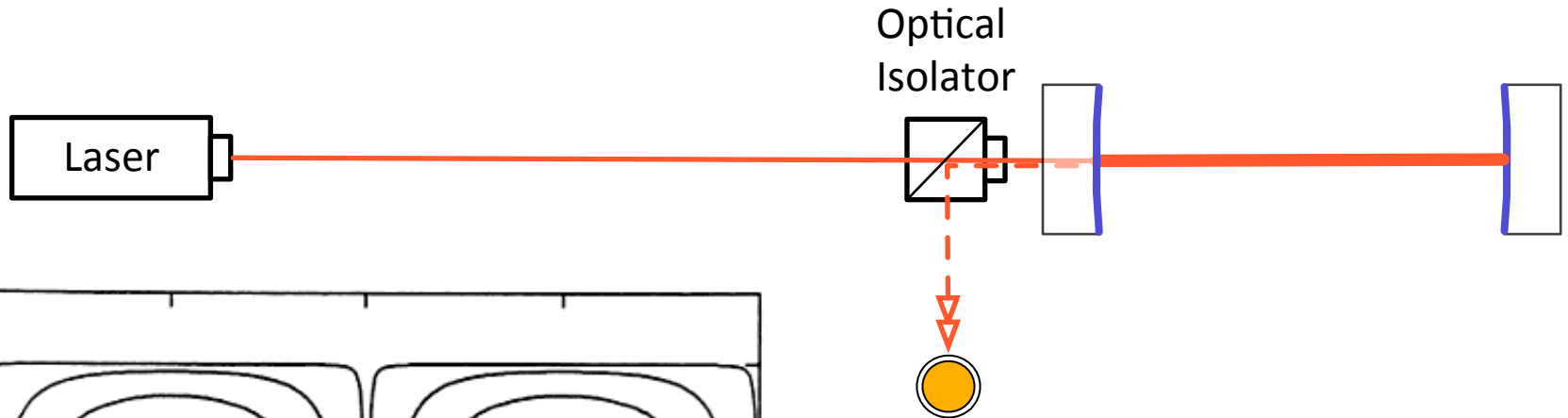
The development of CARM/ALS spans many decades, many people, and many subsystems, so documentation isn't always consistent and it's tough to find the big picture with everything included in one place. This is my attempt. It's too ambitious for one talk that I wrote in a day. Please also bare in mind

- I'm just getting to know this system
- This system is still under development
  - some documentation is out-of-date
  - two sites do things differently
- This presentation will not be perfect
- Go to references for guidance, they've done a better job.



Thanks for your patience.

# Intro to Cavity “Locking”



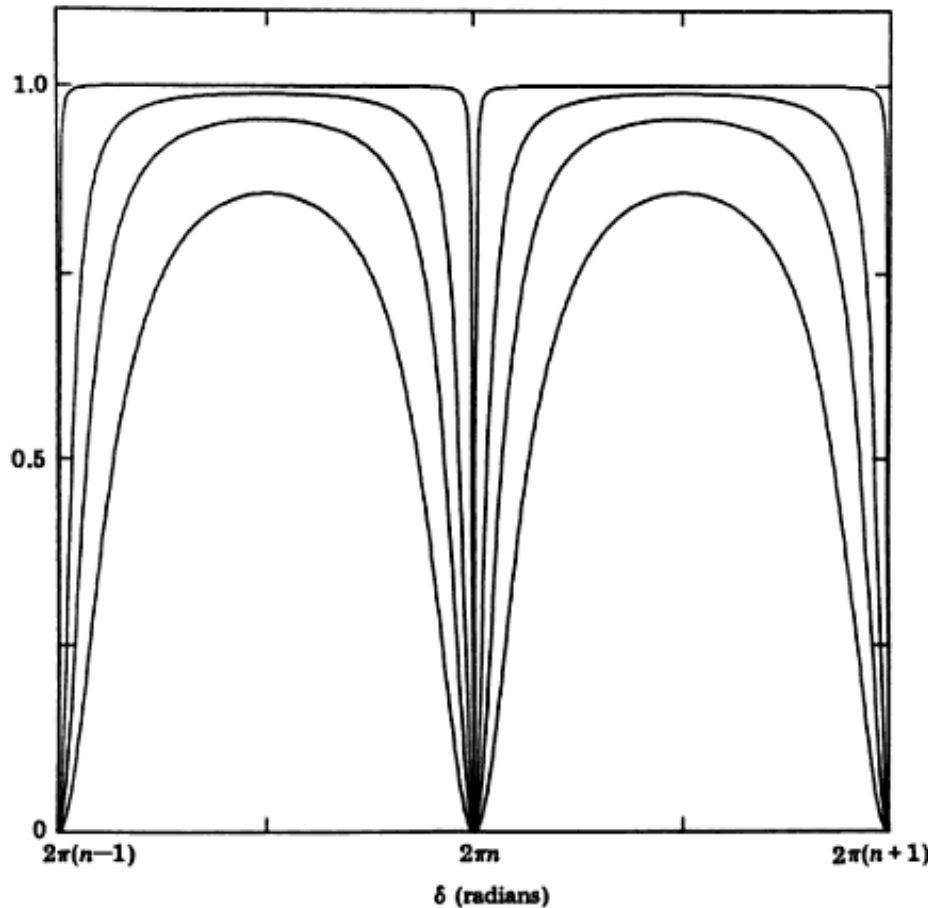
Resonant cavity resonates, when cavity length is an integer number of laser wavelengths

$$2L = N\lambda$$

More reflective mirrors  
= Tighter resonance condition

Equivalent noise sources to this system:  
cavity length changes or  
laser frequency/wavelength changes

$$\Delta L = \frac{L\lambda}{c} \Delta f$$



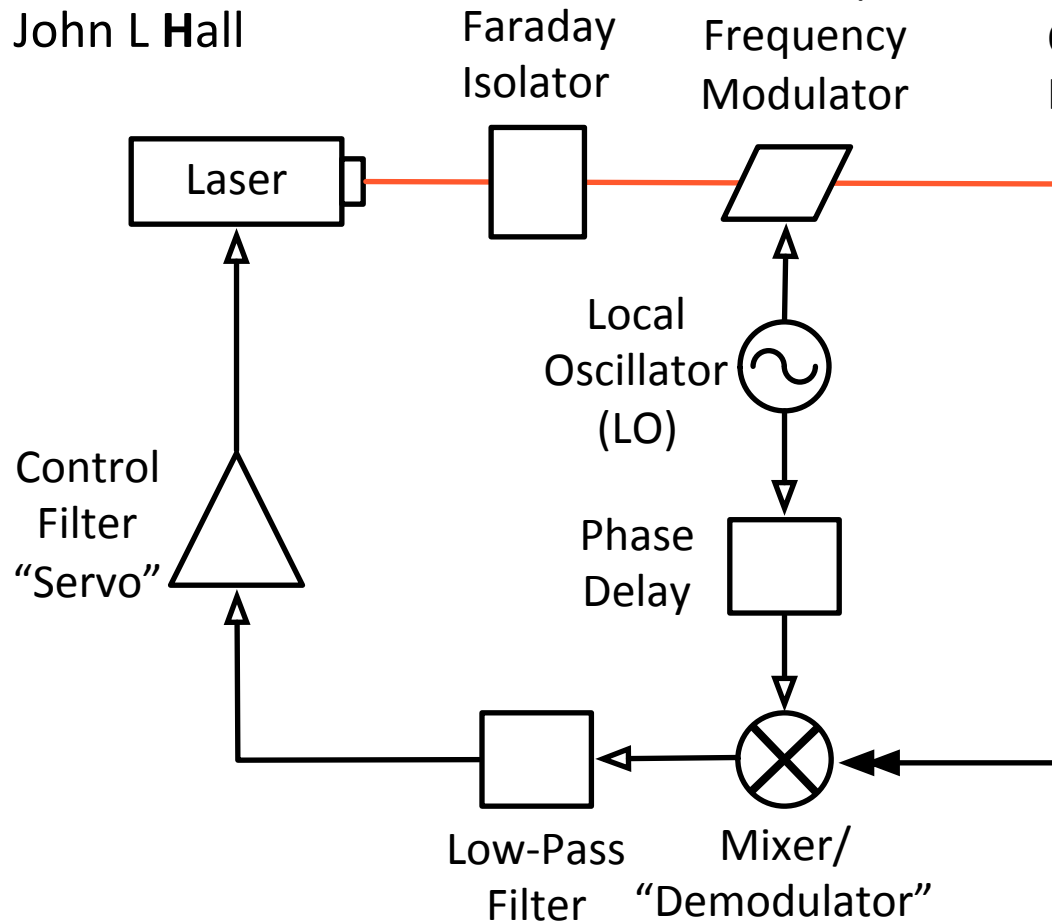
Robert V. Pound  
Ron W P Drever  
John L Hall

# Intro to PDH

Phase /  
Frequency  
Modulator

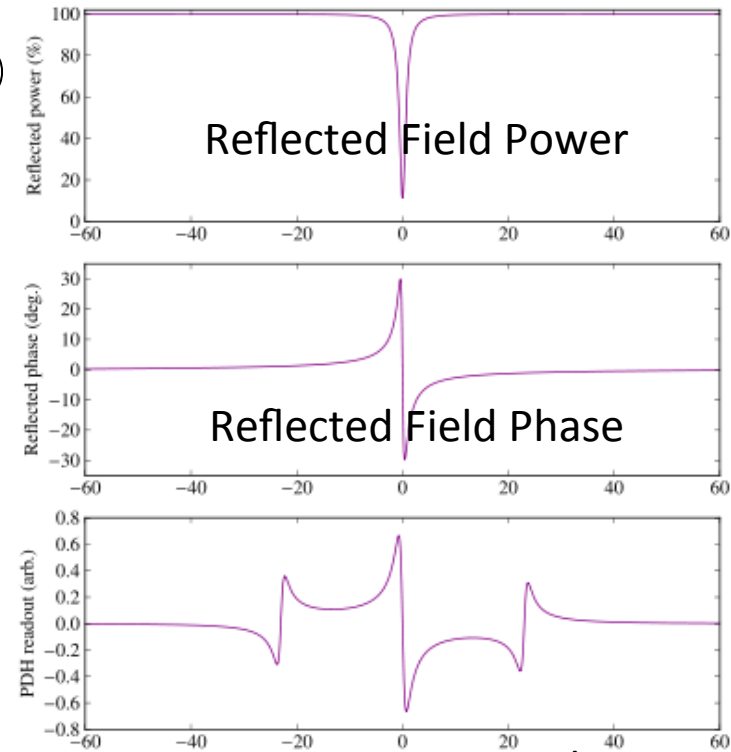
Optical  
Isolator

Locks laser frequency to  
resonant cavity, following  
the length of the cavity as it  
changes



“Lock acquisition” or “catch (and hold) lock”  
= Length changes slower than the control bandwidth

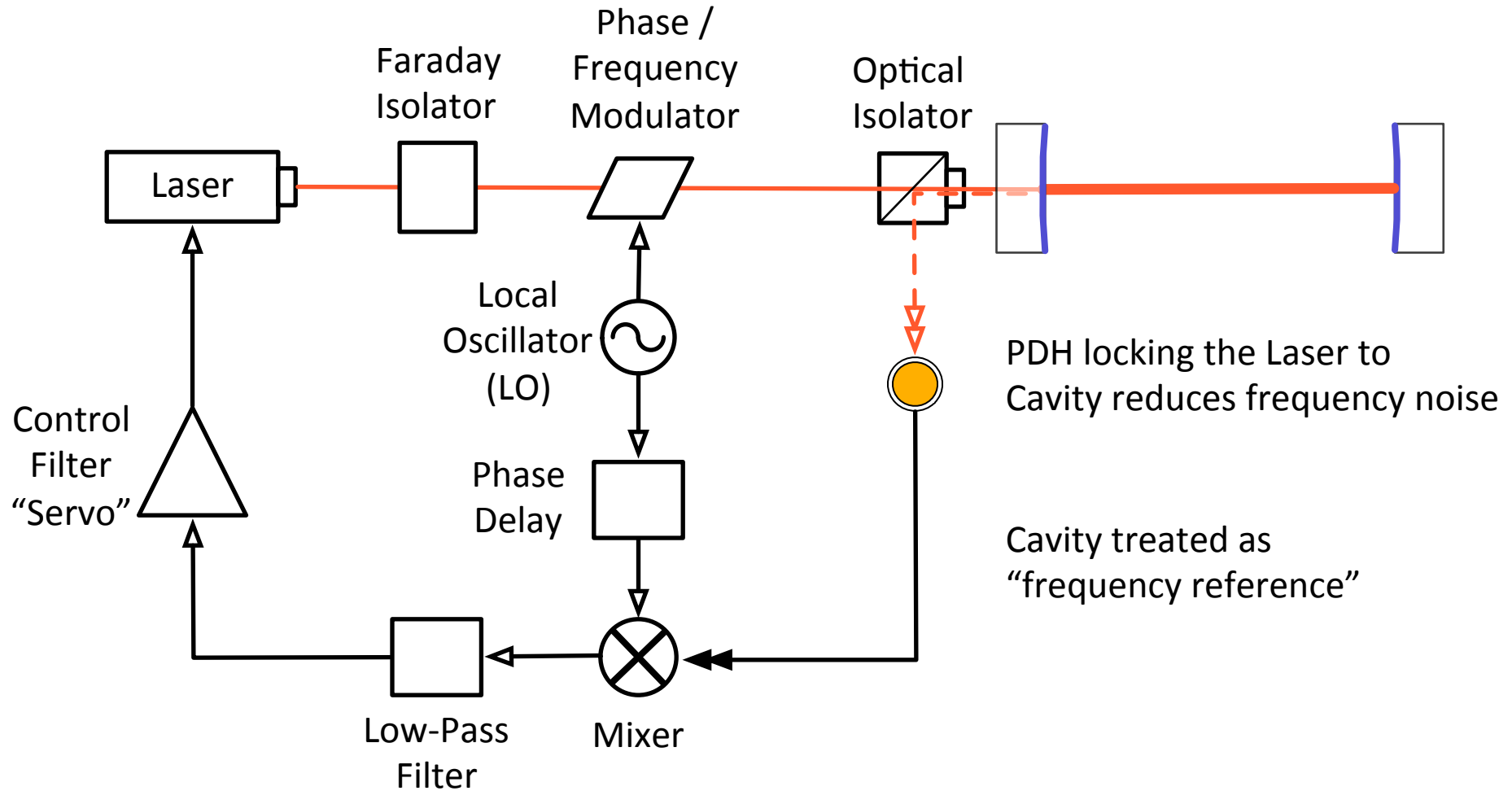
Control servo holds the laser frequency within linear  
operating regime



PDH Error Signal

Non-linear in regions outside  
cavity linewidth

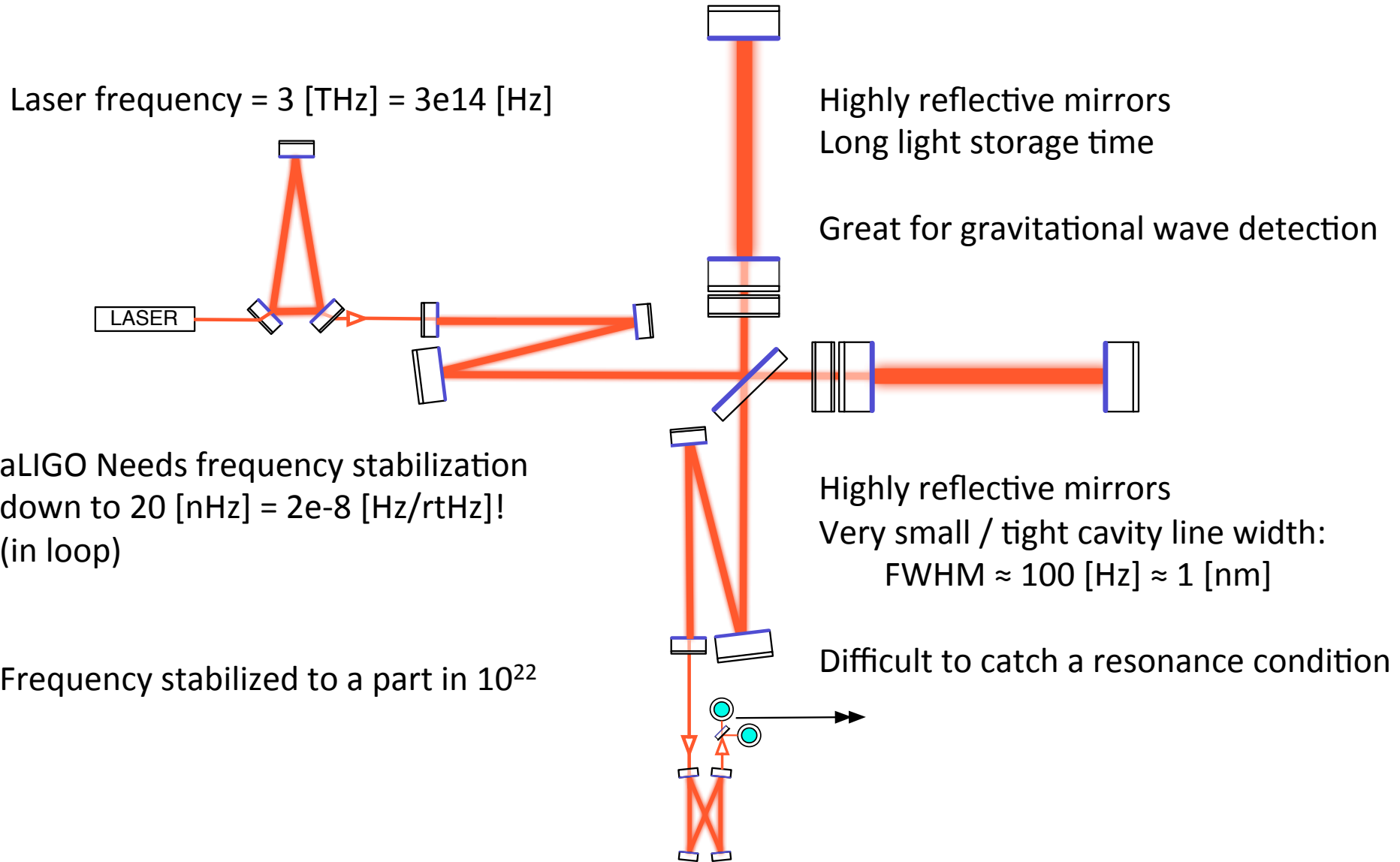
# Intro to PDH



$$\Delta L \frac{c}{L\lambda} = \Delta f$$

The LONGER the cavity, and/or the SMALLER the length changes, the better the frequency reference, the lower the frequency noise

# The LIGO Arm Cavity Problem



In order to merge corner station with arms during lock acquisition, while building up frequency stability, we need \*LOTS\* of loops.

# LIGO = PDH to the MAX

SIX nested / interconnected PDH loops to control the laser frequency:

**FSS**

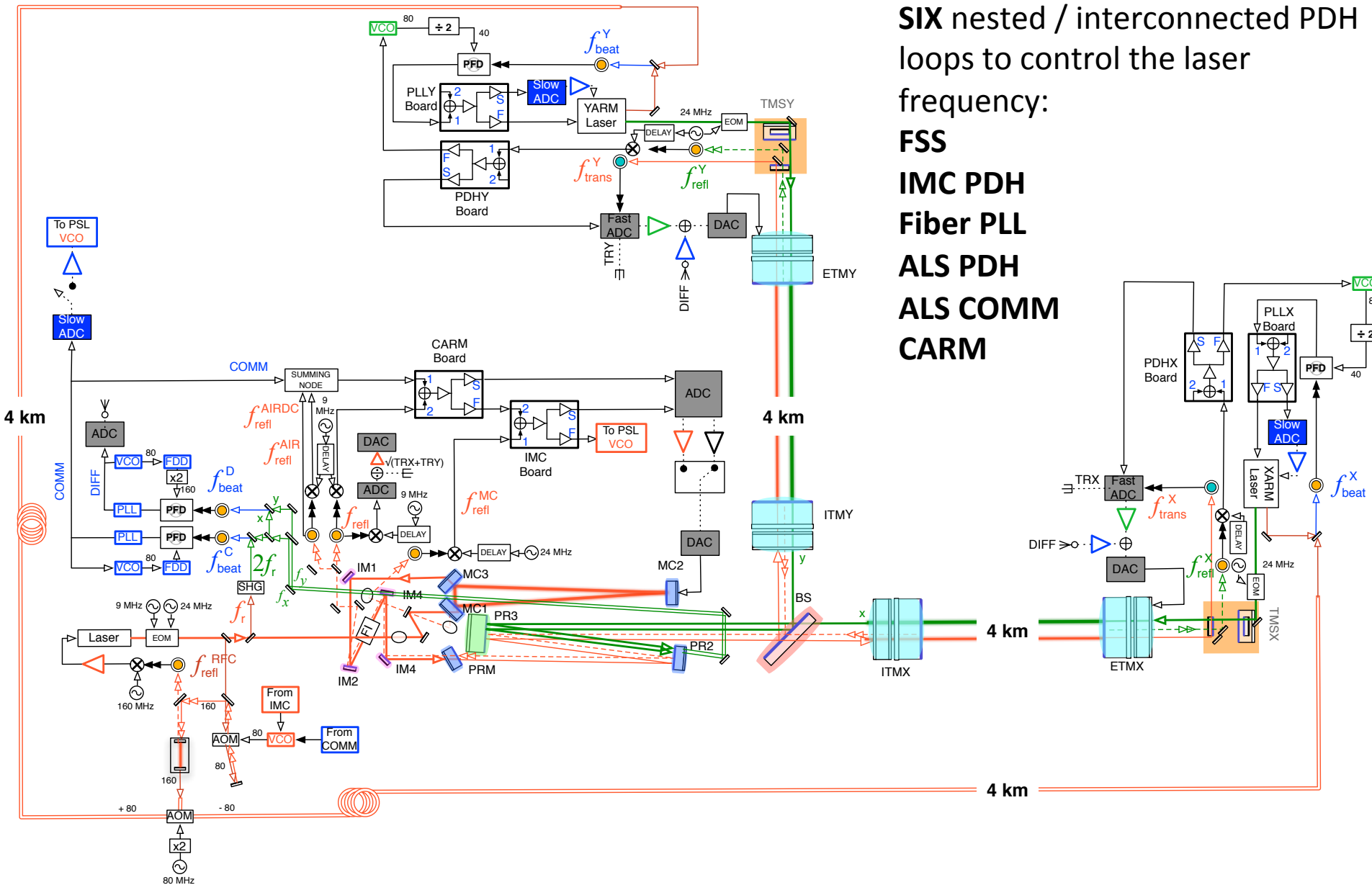
**IMC PDH**

**Fiber PLL**

**ALS PDH**

**ALS COMM**

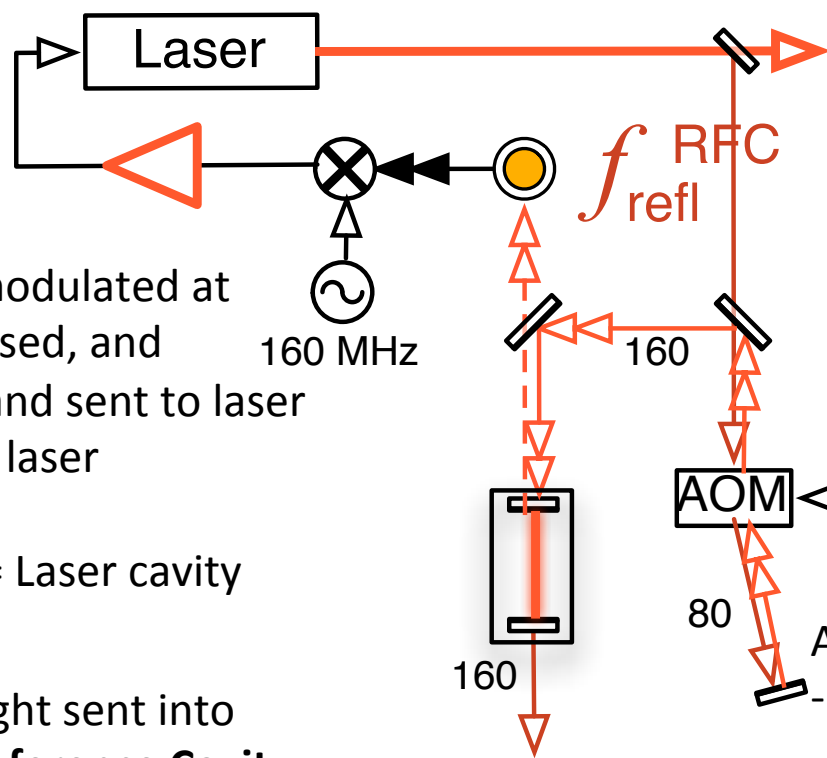
**CARM**



FSS  
IMC PDH  
Fiber PLL  
ALS PDH  
ALS COMM  
CARM

# Frequency Stabilization Servo

Just a fancy PDH loop!



Voltage-Controlled Oscillator (VCO)

- Provides local oscillator (LO) frequency at ~80 [MHz]
- But Oscillator Frequency is controllable (via a voltage input) to +/- 1 [MHz]

Photo-diode demodulated at 160 [Hz], low passed, and control filtered, and sent to laser  
Low Frequency = laser temperature  
High Frequency = Laser cavity length

Light sent into **Reference Cavity**

- $L \approx 0.5$  [m]
- In a vacuum can on the PSL

Acousto-Optic Modulator (AOM)

- A PZT wrapped around a crystal, creates diffraction pattern, with each fringe shifted by oscillator frequency
- We catch the first, and send it through twice, so modulation frequency is ~160 [MHz]







FSS  
IMC PDH  
Fiber PLL  
**ALS PDH**  
ALS COMM  
CARM

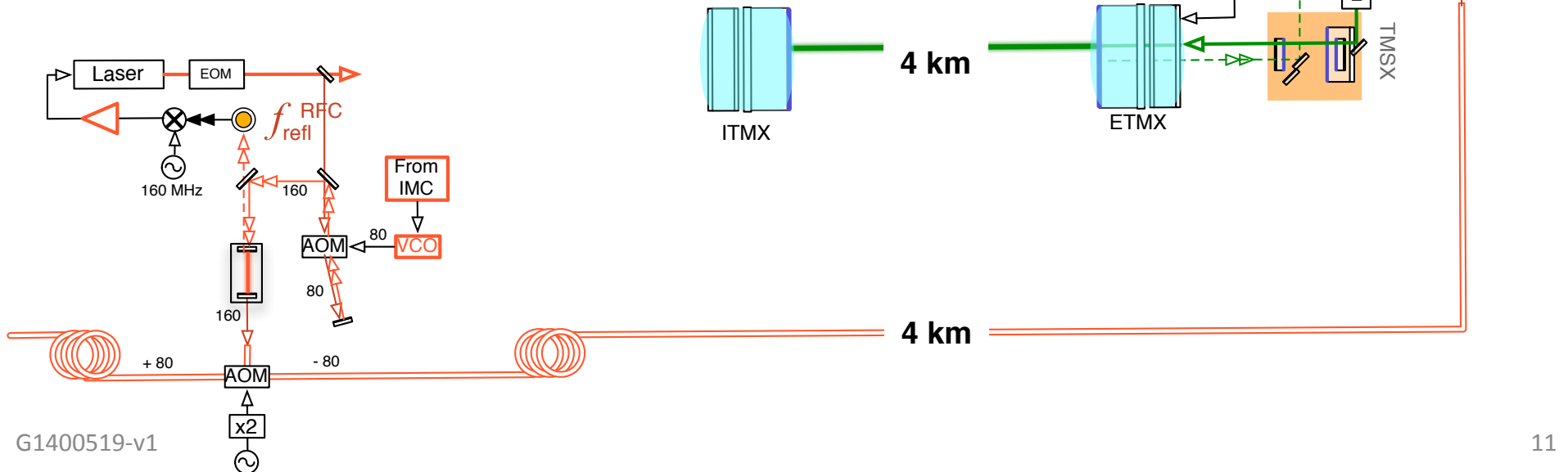
# Arm Length Stabilization PDH

**Just a fancy PDH loop!**  
(Now nested with Fiber PLL)

Now back to standard PDH locking of arm  
with green  
(Linewidth in green is lower than for Red)

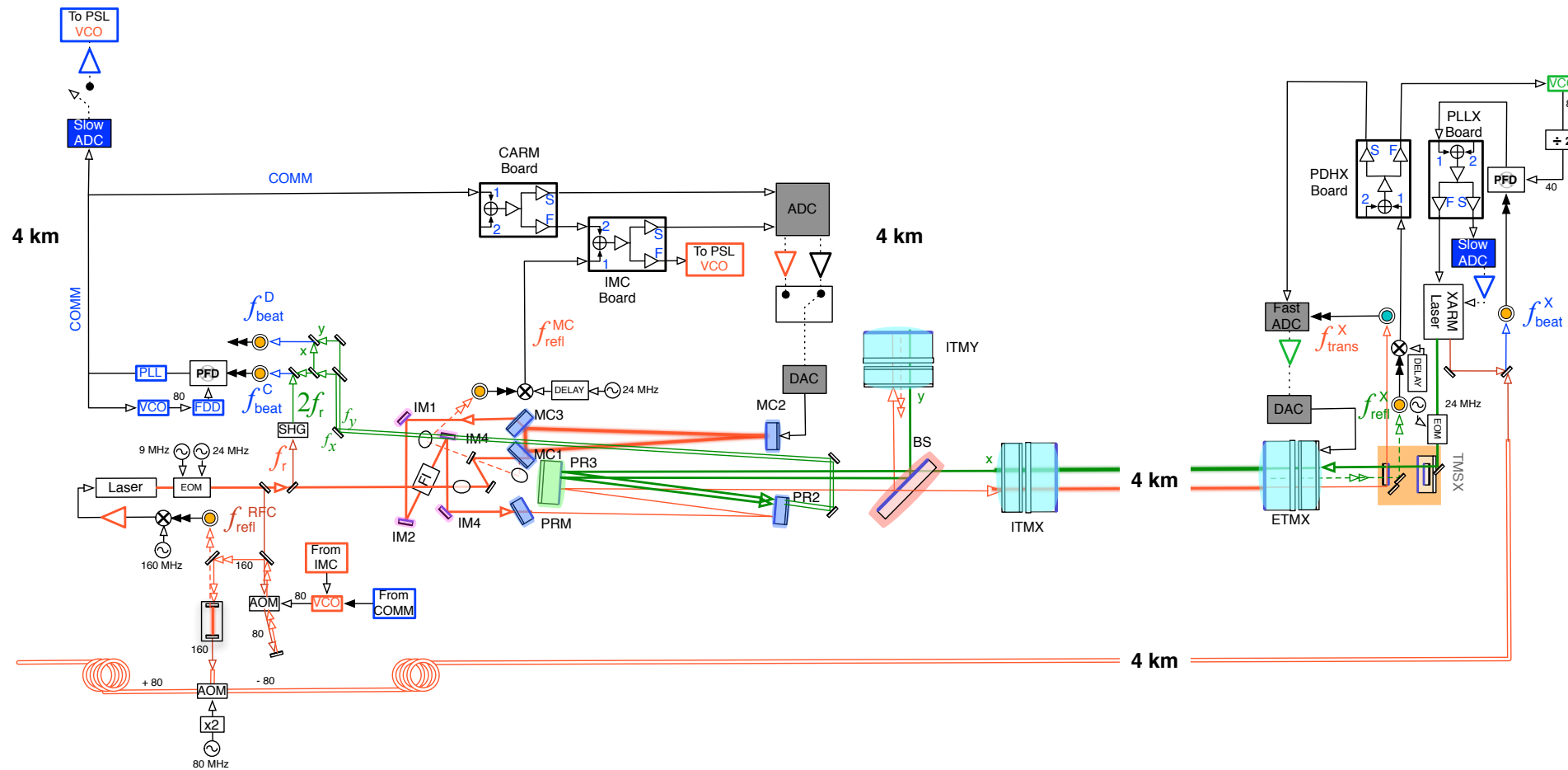
Send fast feed back to end-VCO (just like  
the IMC PDH to the FSS VCO)

Send slow feed back to arm cavity length  
(just like IMC PDH and MCL)



# PSL / Common Arm Stabilization

FSS  
IMC PDH  
Fiber PLL  
ALS PDH  
**ALS COMM**  
CARM



FSS  
IMC PDH  
Fiber PLL  
ALS PDH  
ALS COMM  
**CARM**



# Appendix to PDH

## (Essential Cavity Equations)

Cavity Resonance Condition  
Integer Number of  
Wavelengths fit inside length  
of the cavity

$$k L = N \pi$$

Phase <-> Length <-> Frequency

$$\phi = \frac{4\pi}{c} L f$$

Free Spectral Range

$$2kL = \omega \frac{2L}{c} = 2\pi f \frac{2L}{c} = \frac{2\pi f}{FSR}$$

$$\frac{\Delta L}{L} = \frac{\Delta f}{f}$$

Cavity Linewidth = Full-width Half Maximum = 2\* Cavity Pole

$$FWHM = 2f_p = \frac{2FSR}{\pi} \arcsin\left(\frac{1-r_1r_2}{2\sqrt{r_1r_2}}\right)$$

$$\Delta L = \frac{L\lambda}{c} \Delta f$$

Mirror reflectivities go up, cavity Finesse goes up, Linewidth gets smaller

$$F = \frac{FSR}{FWHM} = \frac{\pi}{2 \arcsin\left(\frac{1-r_1r_2}{2\sqrt{r_1r_2}}\right)} \approx \frac{\pi\sqrt{r_1r_2}}{1-r_1r_2} \approx \frac{\pi}{1-r_1r_2}$$