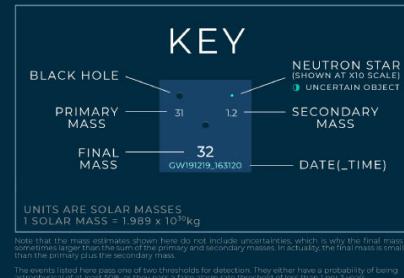
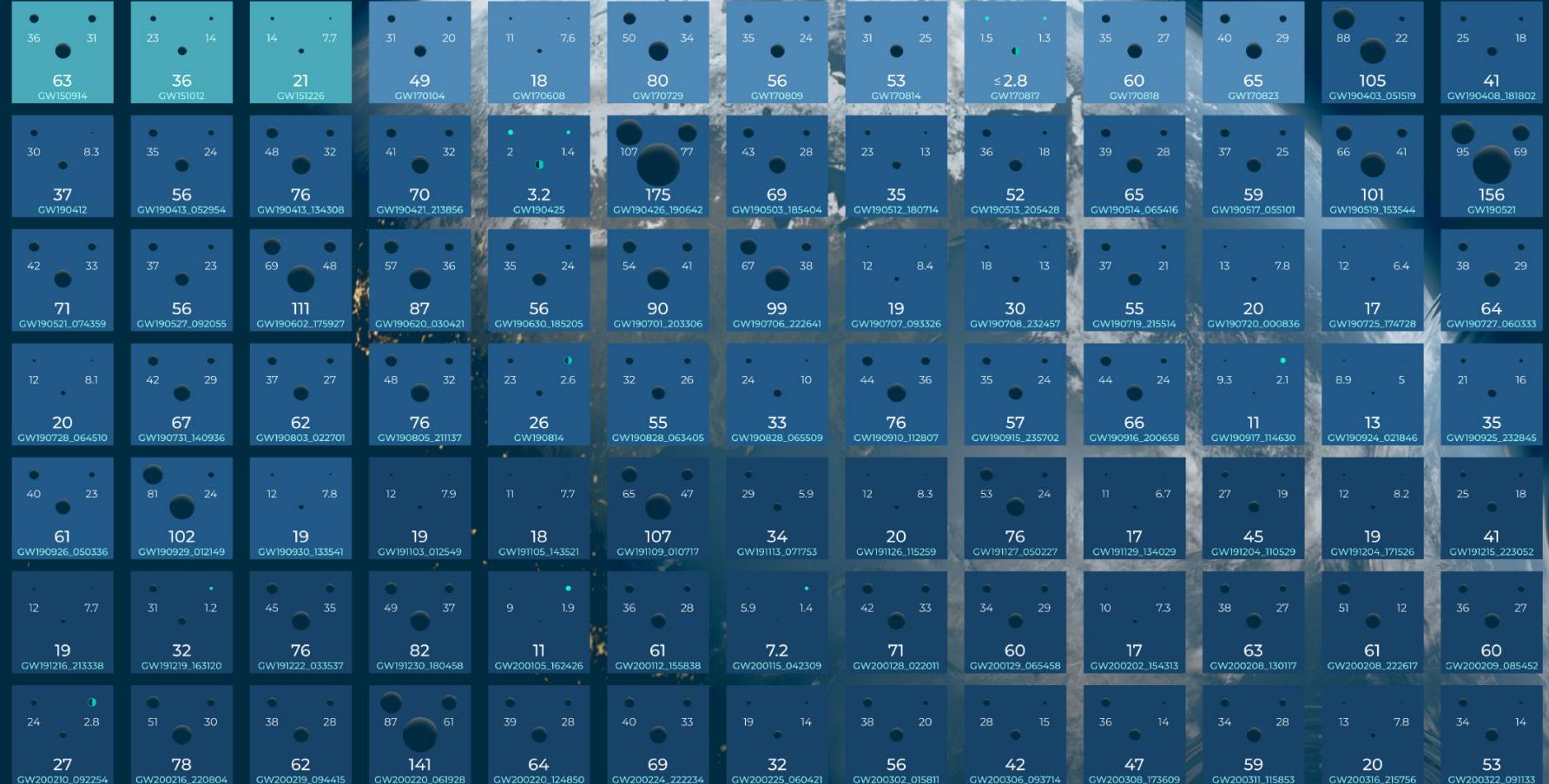


GRAVITATIONAL WAVE ASTRONOMY NORTH WEST

# Characterizing the Properties of the Observed BBH Population

OBSERVING  
01 RUN  
2015 - 2016

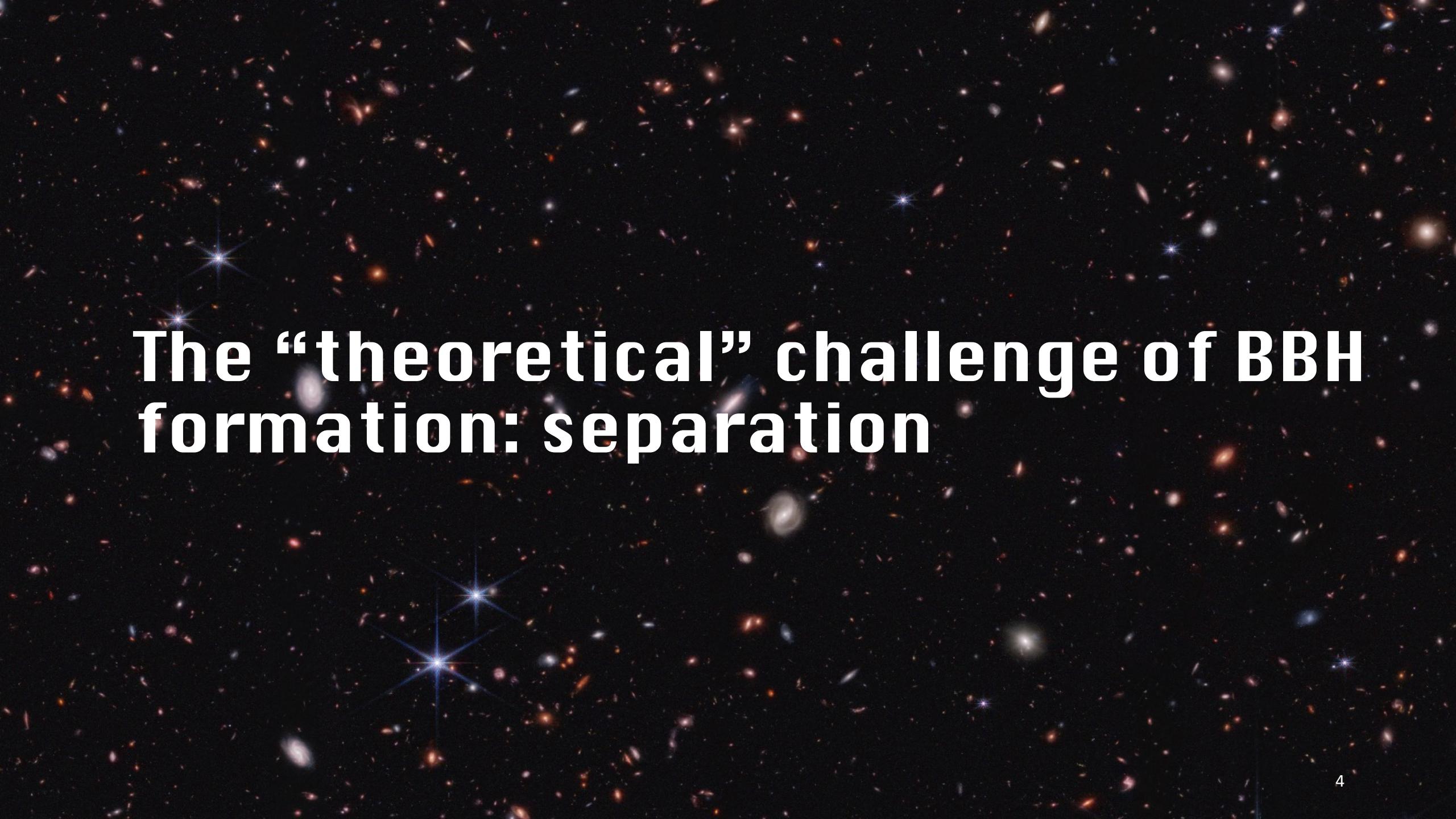


# GRAVITATIONAL WAVE MERGER DETECTIONS SINCE 2015

OzGrav

ARC Centre of Excellence for Gravitational Wave Discovery





The “theoretical” challenge of BBH formation: separation

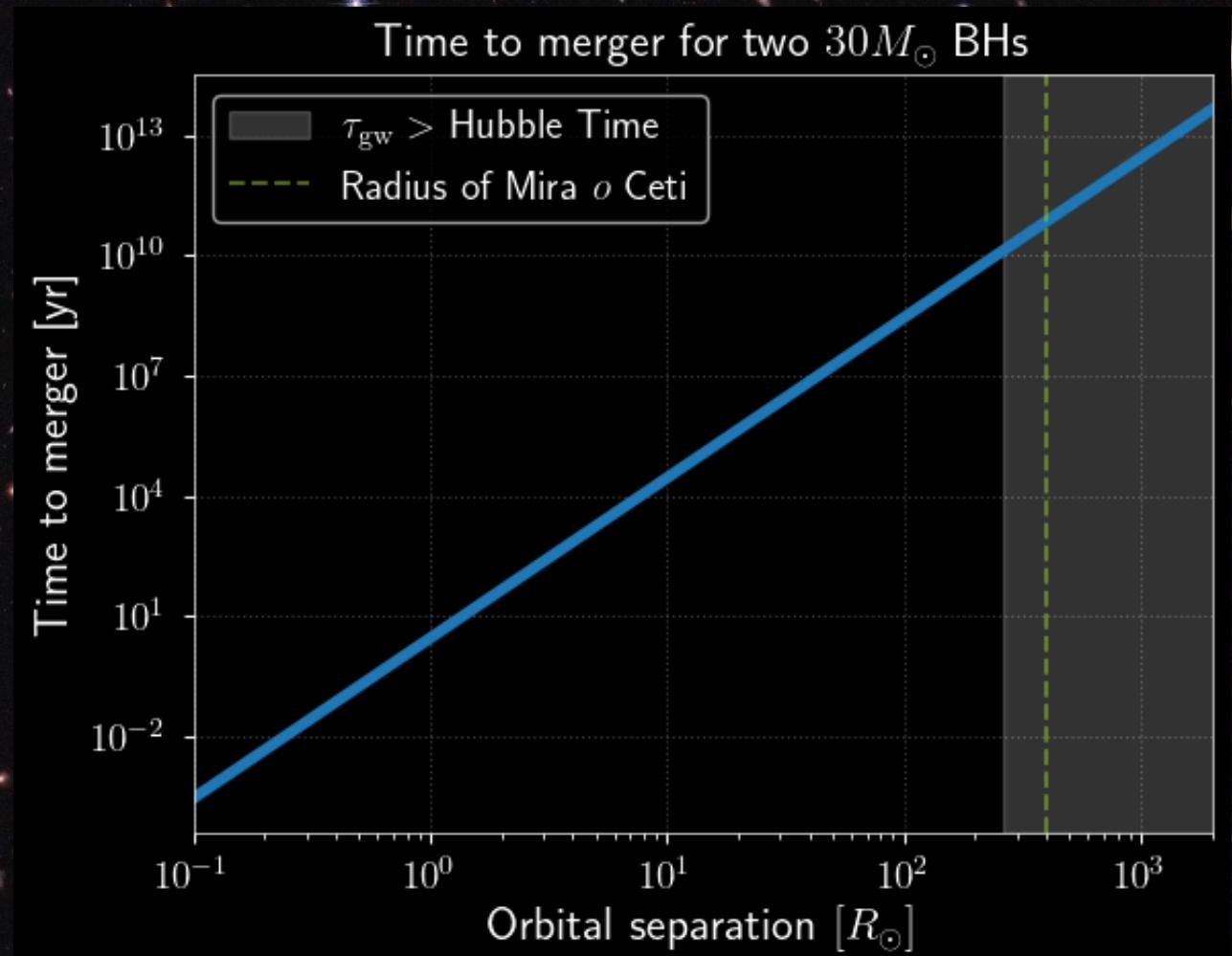
# The separation challenge

Time to merger:

$$t_{GW} = \frac{5}{64} \frac{a^4 c^5}{4G^3 m_1 m_2 (m_1 + m_2)}$$

Luminosity:

$$L = \frac{32}{5} \frac{m_1^2 m_2^2 (m_1 + m_2)}{a^5}$$



# Theories to overcome the challenge

## "Field" formation

- ♦ Common Envelope
- ♦ Stable mass transfer
- ♦ Chemically homogeneous evolution
- ♦ Population-III stars
- ♦ Triples/Multiples

## Dynamical formation

- ♦ Globular clusters
- ♦ Young/Open star clusters
- ♦ Nuclear star clusters

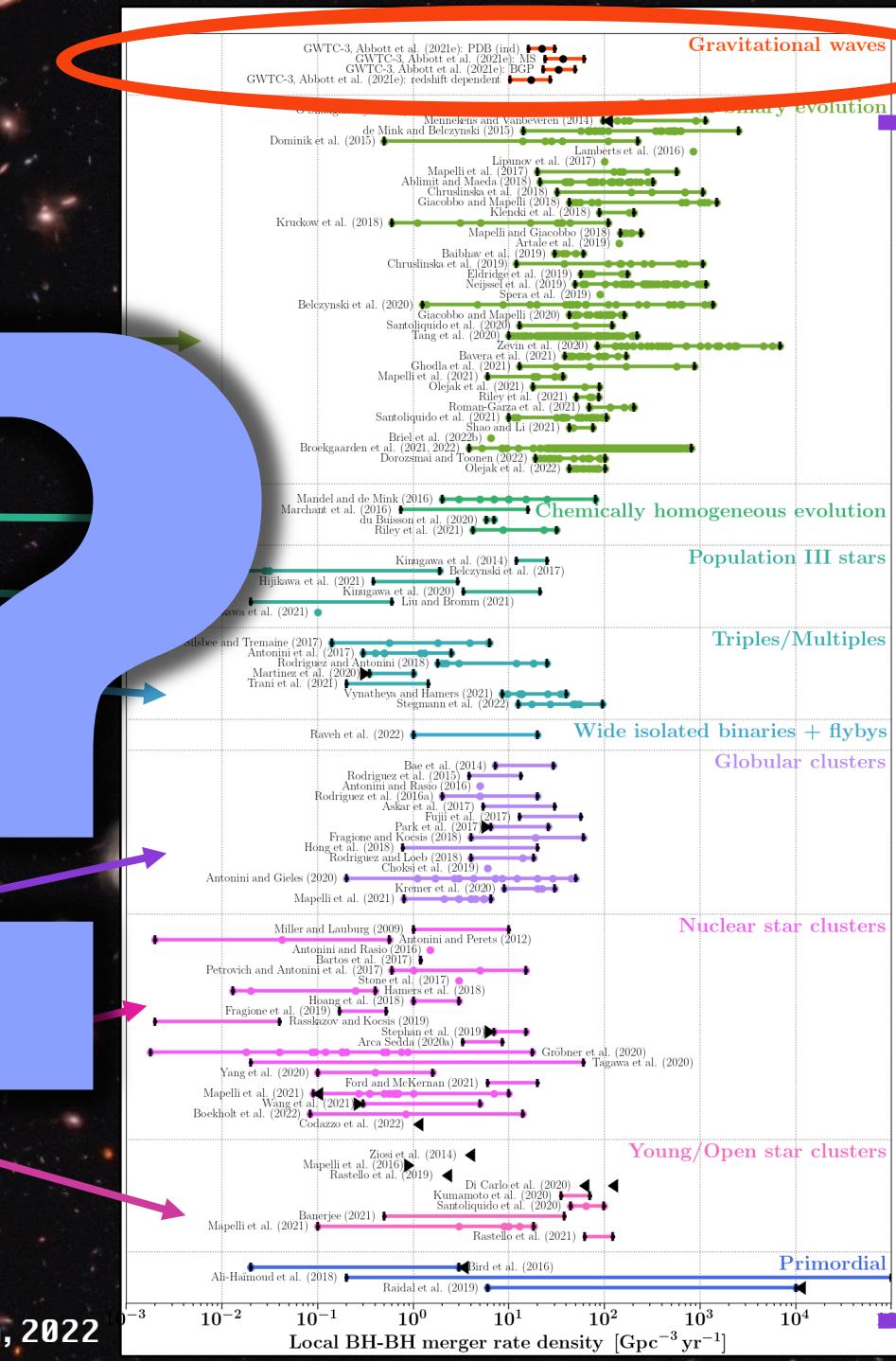
# "Field" formation

- Common Envelope
- Stable mass transfer
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- Population-III stars
- Triples/Multiples

# Dynamical formation

- Globular clusters
- Young/Open star clusters
- Nuclear star clusters

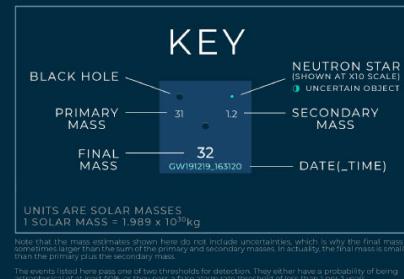
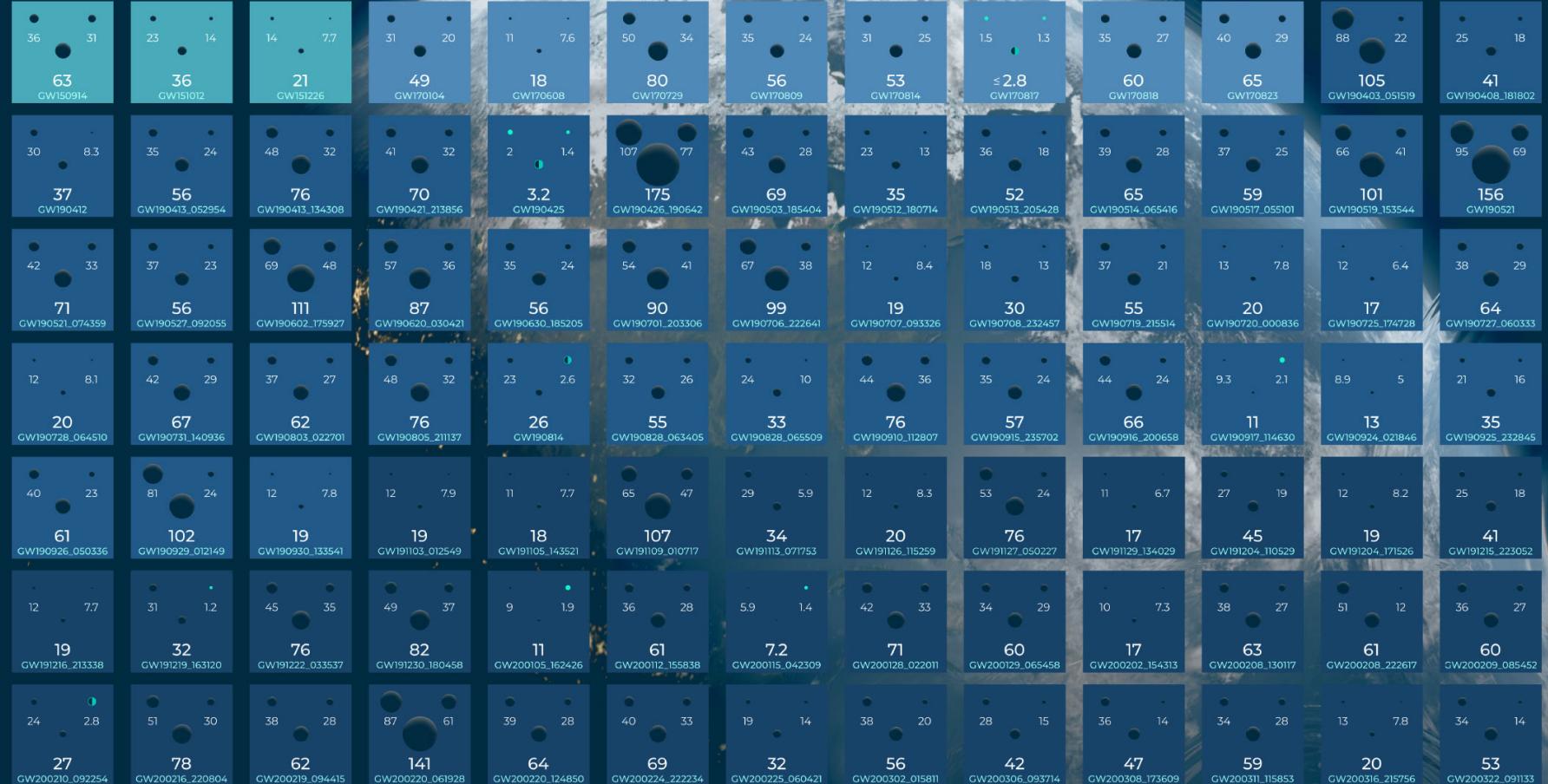
Mandel & Broekgaarden, 2022



Observations

Theoretical Predictions

OBSERVING  
01 RUN  
2015 - 2016



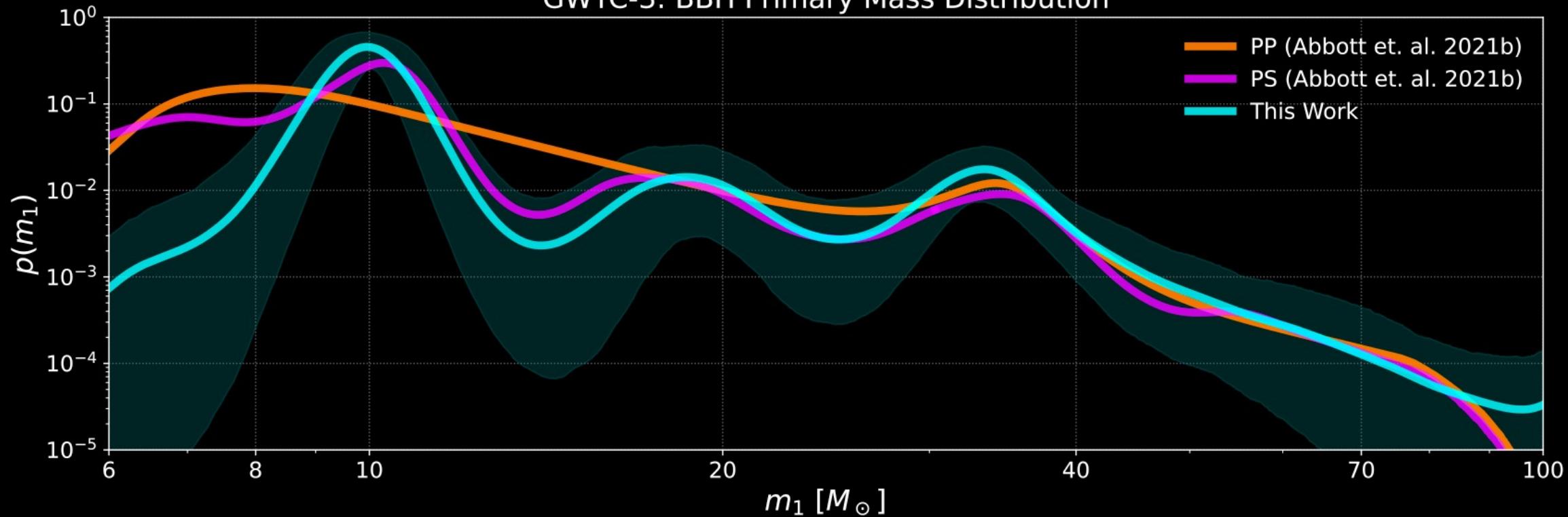
# GRAVITATIONAL WAVE MERGER DETECTIONS SINCE 2015

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### GWTC-3: BBH Primary Mass Distribution



Edelman, et. al. 2022

Catalog of  
single event  
posteriors:

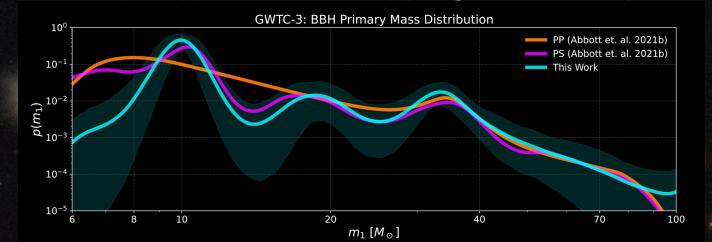
$$p(\{\vec{\theta}^i\} \mid \{\vec{d}^i\}) \rightarrow$$



Parameter estimation algorithm

$$\rightarrow p(\vec{\Lambda} \mid \{\vec{d}^i\})$$

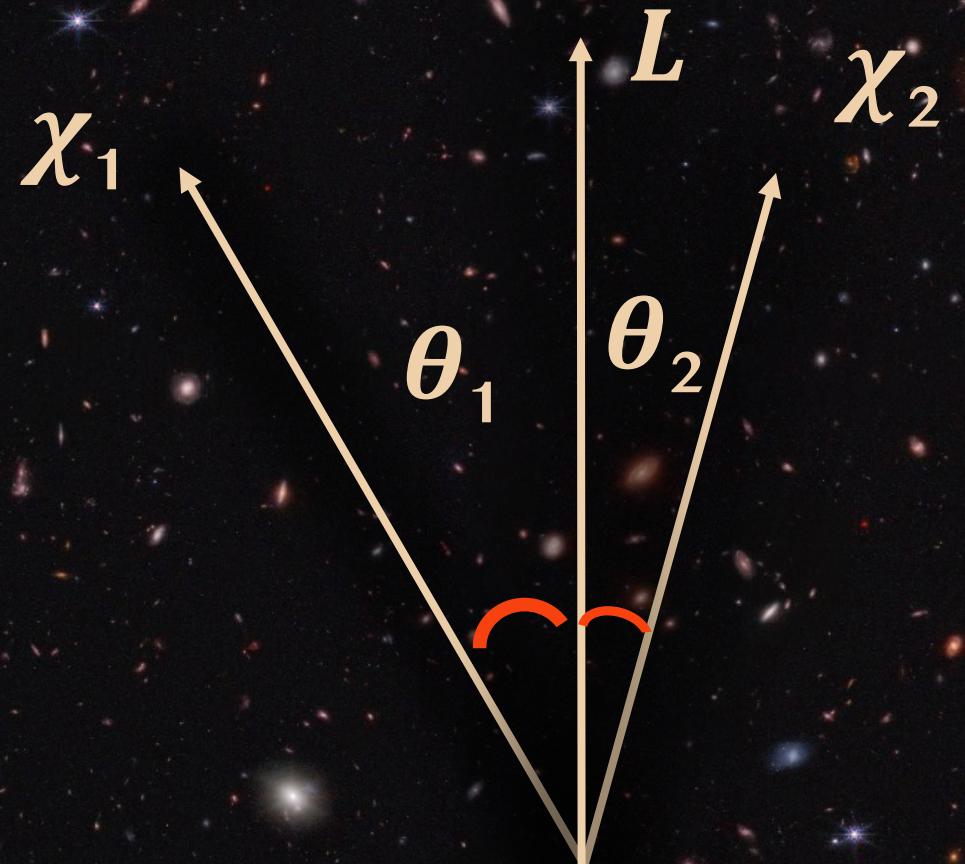
$$p(\vec{\theta} \mid \vec{\Lambda})$$

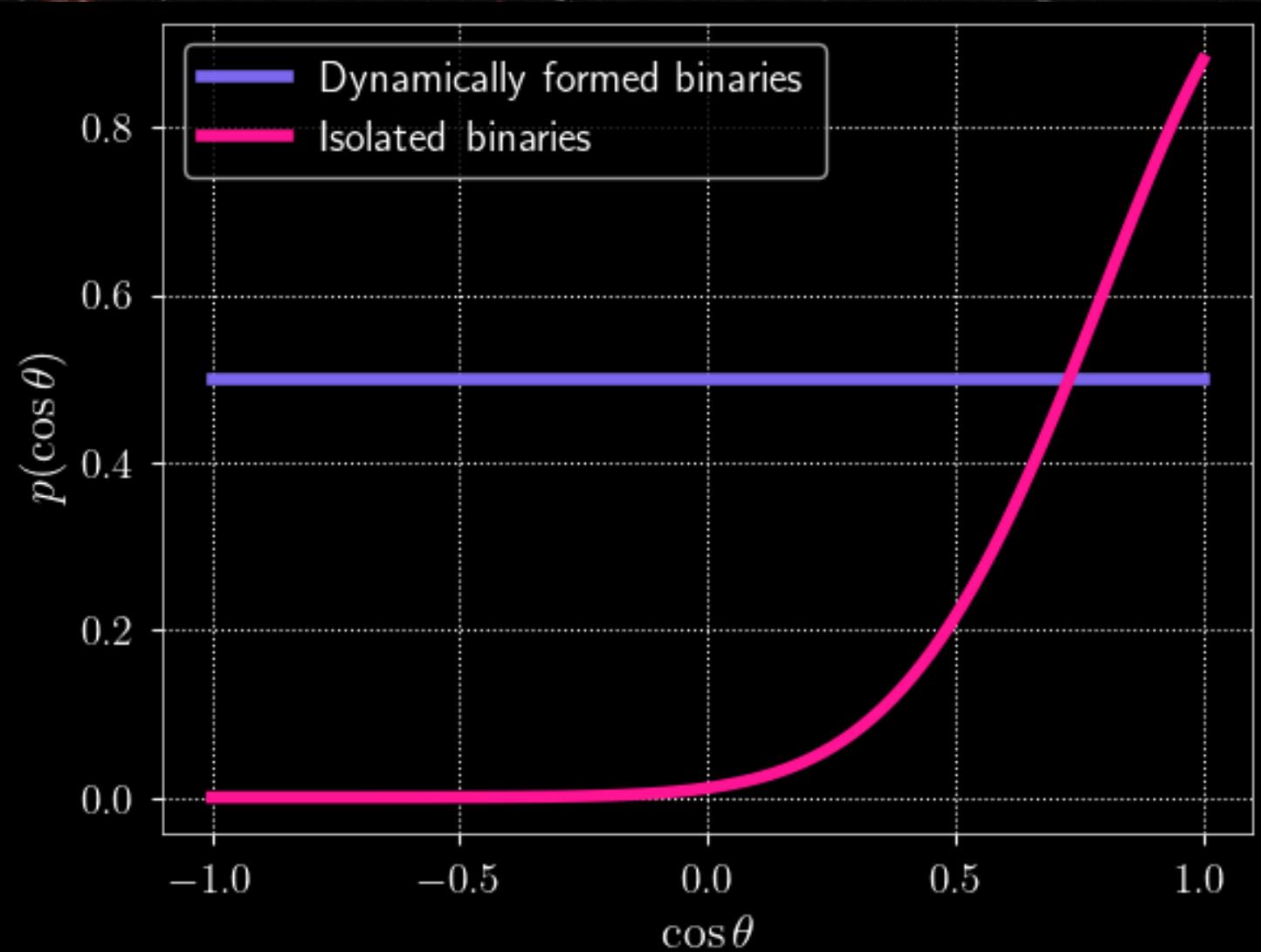


# Binary black hole spin

Magnitude:  $\chi_1, \chi_2 \in [0, 1]$

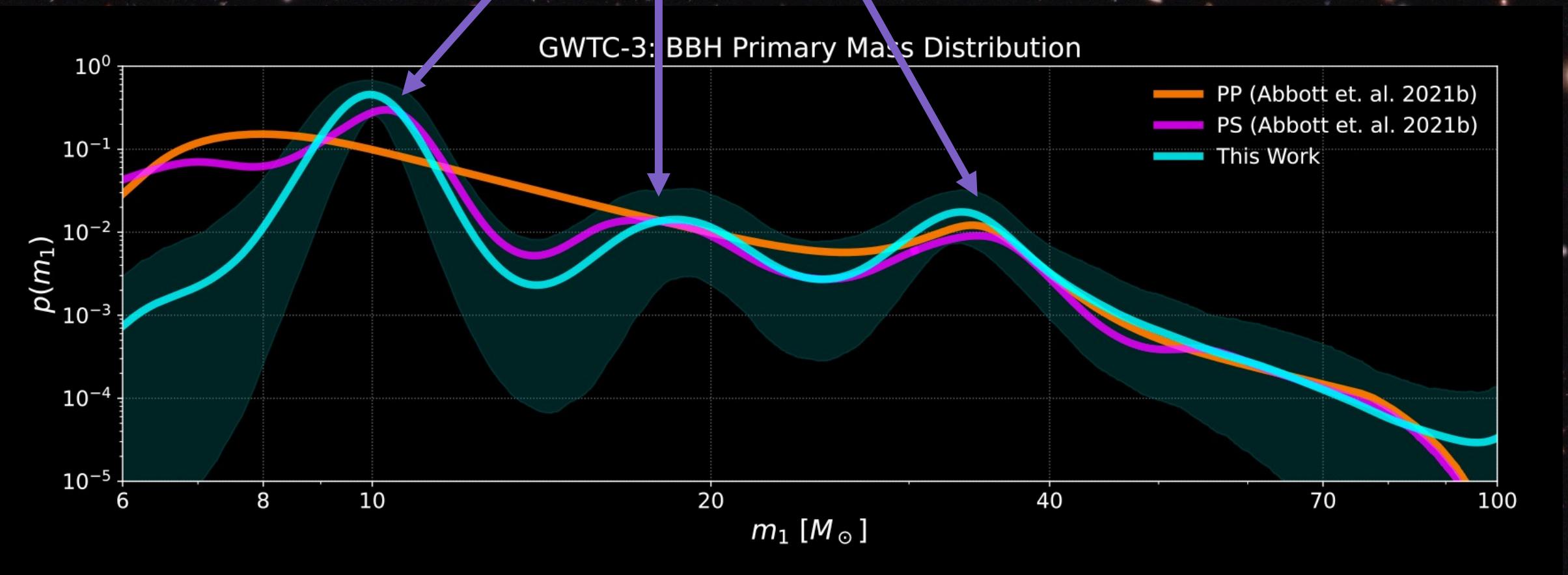
“Tilt”:  $\cos \theta_1, \cos \theta_2 \in [-1, 1]$





**Proposition:** Features in the BBH mass distribution may be correlated with different spin properties

# Features



Edelman, et. al. 2022

# Isolated Peak Model

$$p(m_1 | \vec{\Lambda}) = f_p \mathcal{N}(m_1 | \mu, \sigma) + (1 - f_p) \mathcal{B}_n(m_1 | \vec{\alpha}_{n,m})$$



Gaussian



B-Spline

$$p(m_1, \cos \theta | \vec{\Lambda}) = f_p \mathcal{N}(m_1 | \mu, \sigma) B_p(\cos \theta | \vec{\alpha}_{p,\theta}) + (1 - f_p) \mathcal{B}_n(m_1 | \vec{\alpha}_{n,m}) B_n(\cos \theta | \vec{\alpha}_{n,\theta})$$



B-Spline

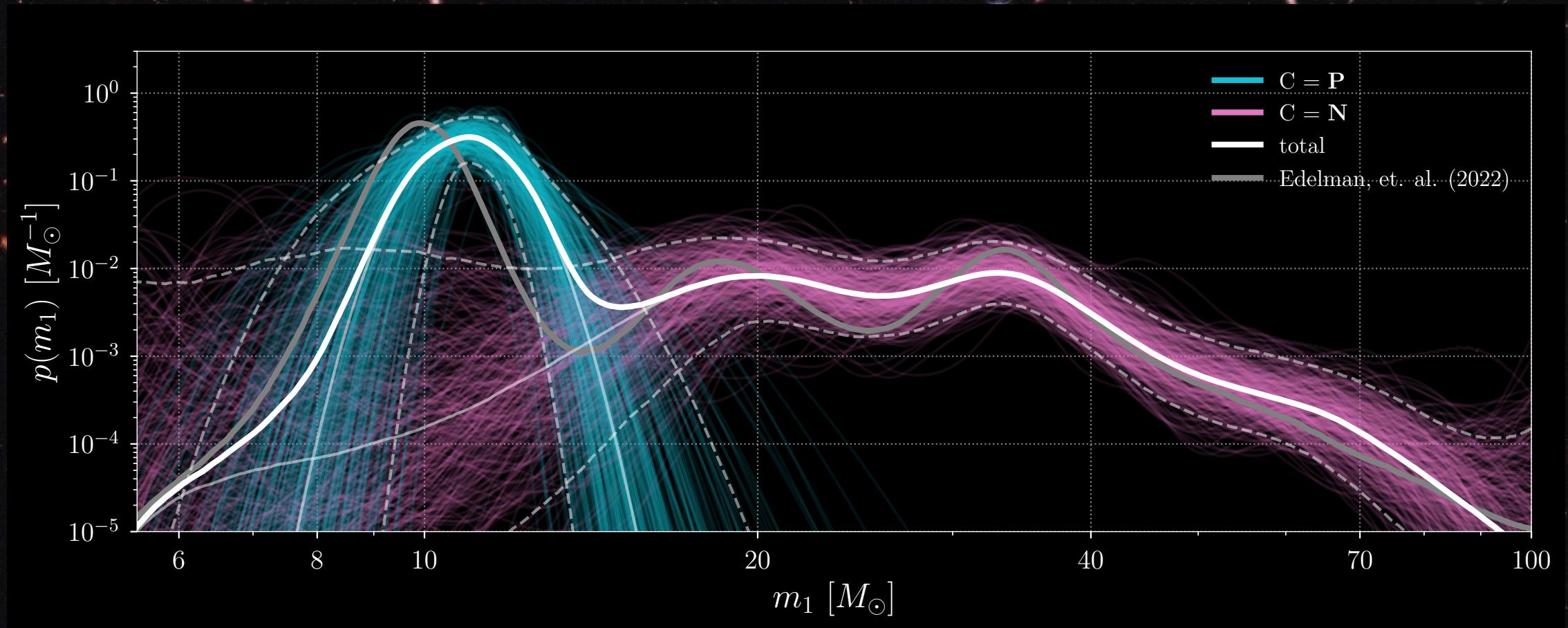


B-Spline

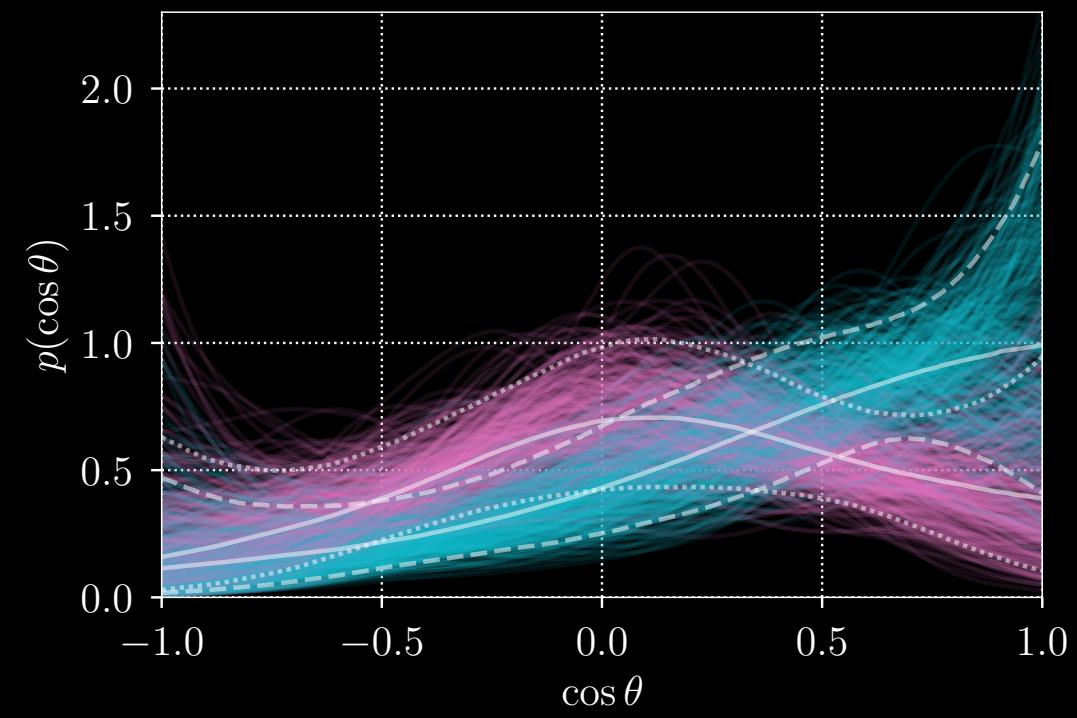
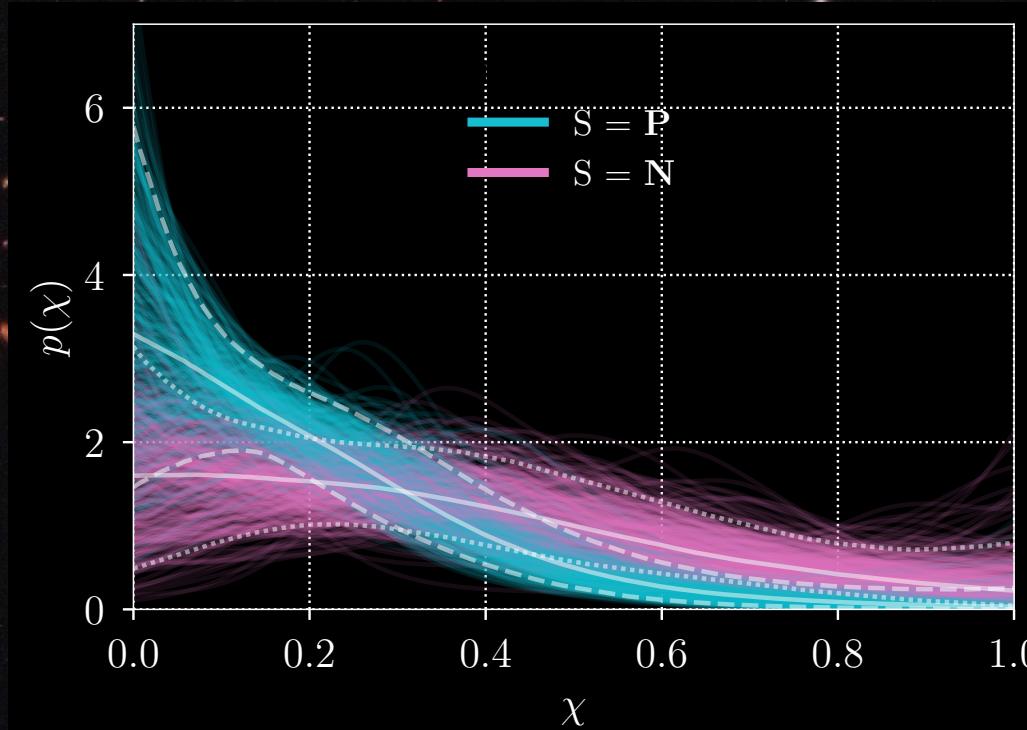


B-Spline

# Results: mass distribution

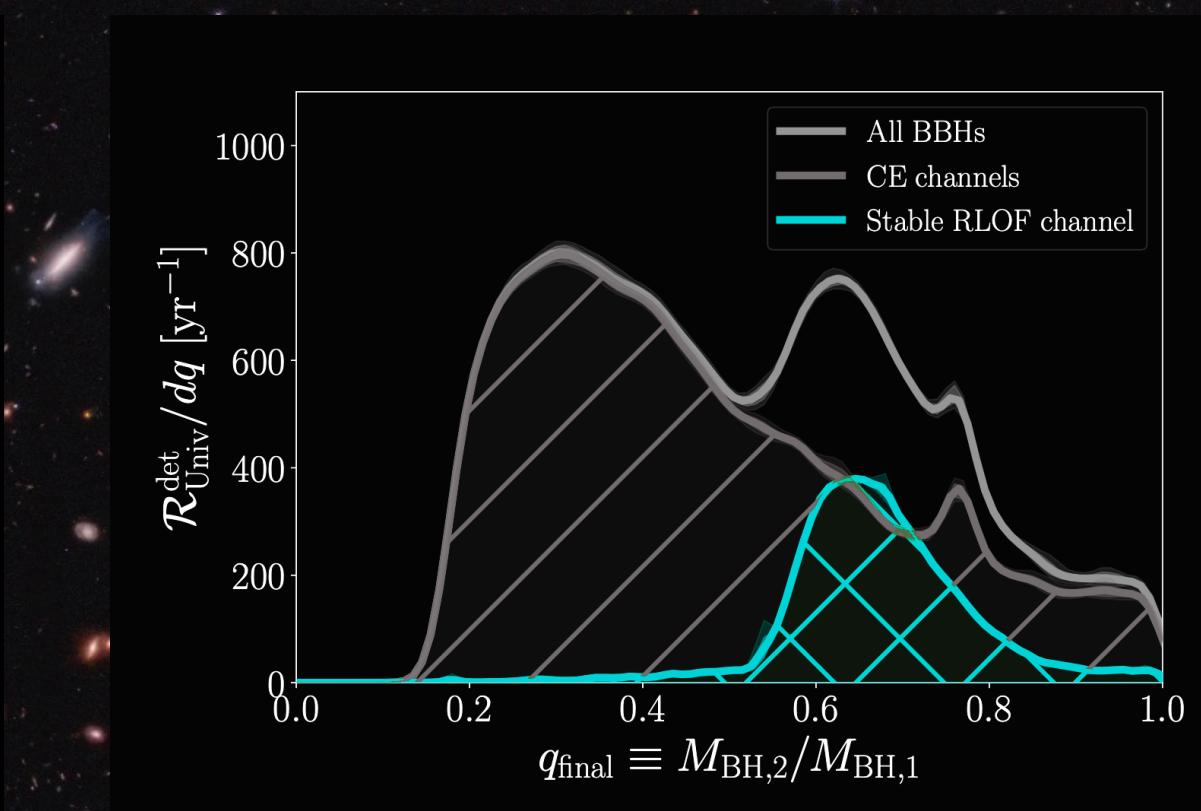
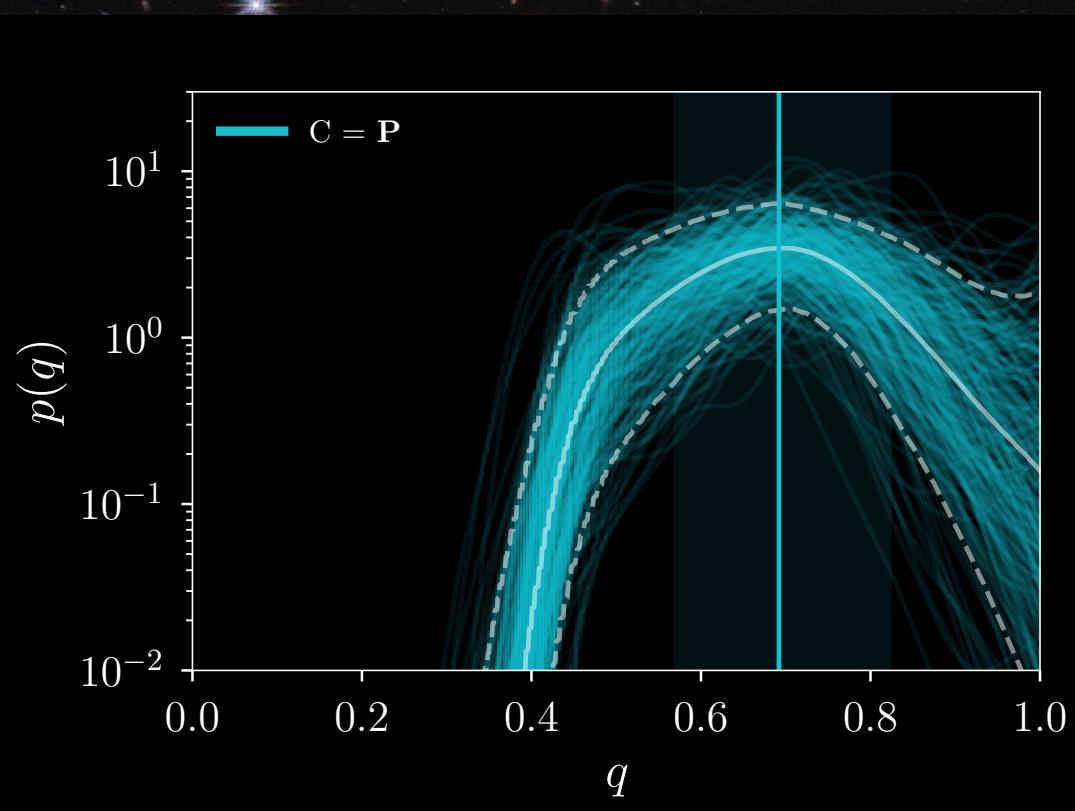


# Results: spin distributions



**10  $M_\odot$  peak  
consistent with  
aligned spins!**

# Results: Mass Ratio



# Towards direct constraints of formation physics: stable mass transfer channel

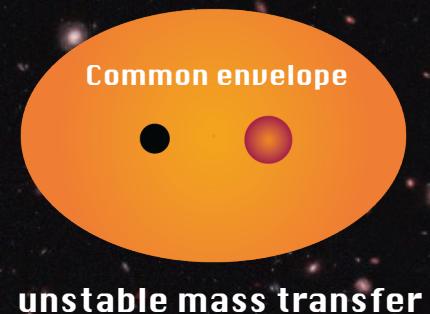
# Mass transfer in isolated binaries

- ♦ Star expands past Roche lobe
- ♦ Mass loss causes radius to change

$$R_* \sim M_*^{\zeta_*} \quad \zeta_* = \frac{\partial \ln R_*}{\partial \ln M_*}$$

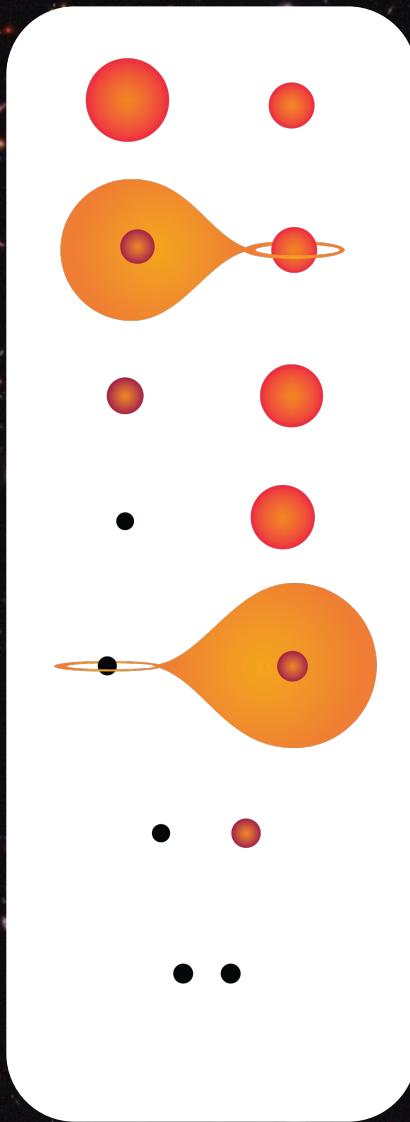
- ♦ Also causes Roche lobe radius change

$$R_{RL} \sim M_*^{\zeta_{RL}} \quad \zeta_{RL} = \frac{\partial \ln R_{RL}}{\partial \ln M_*}$$

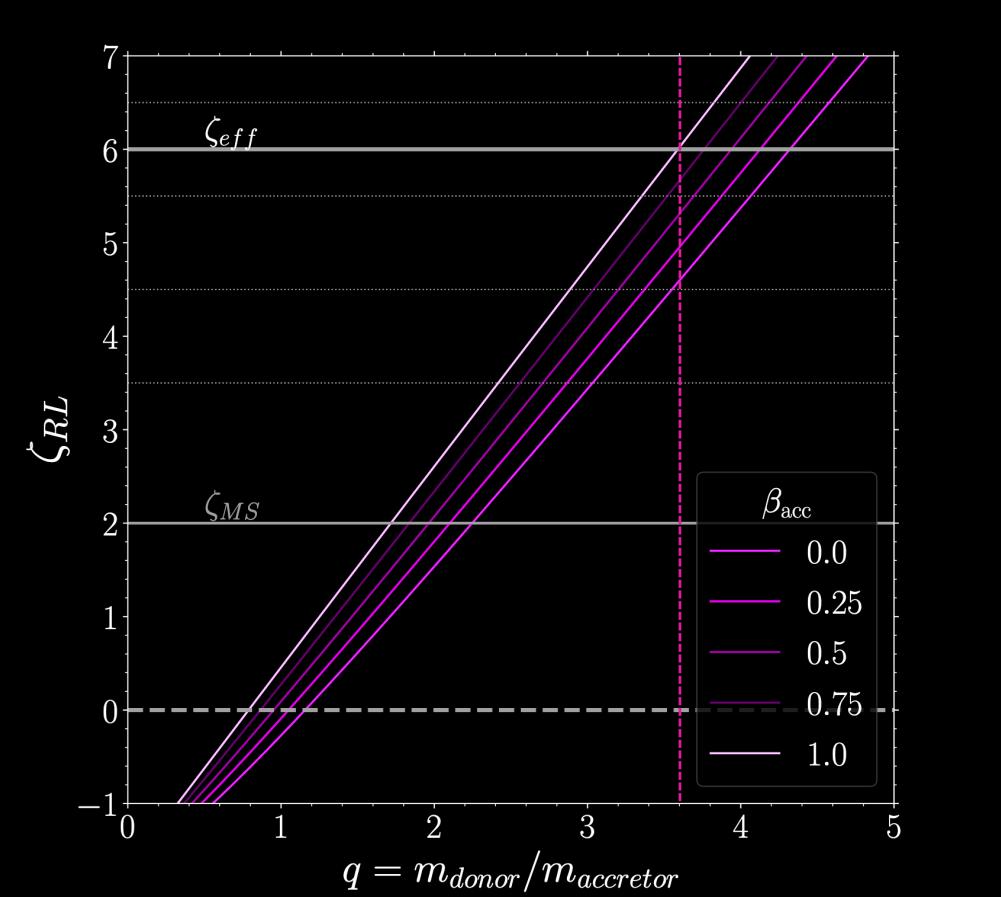
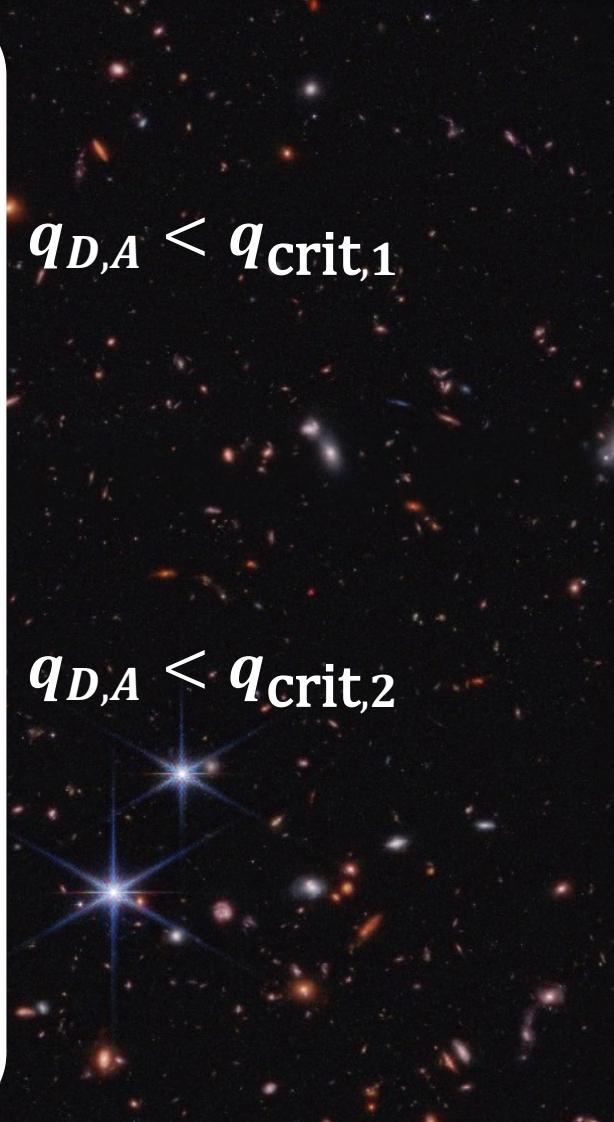


Stable if:  $\zeta_* \geq \zeta_{RL}$

# Stable mass transfer channel

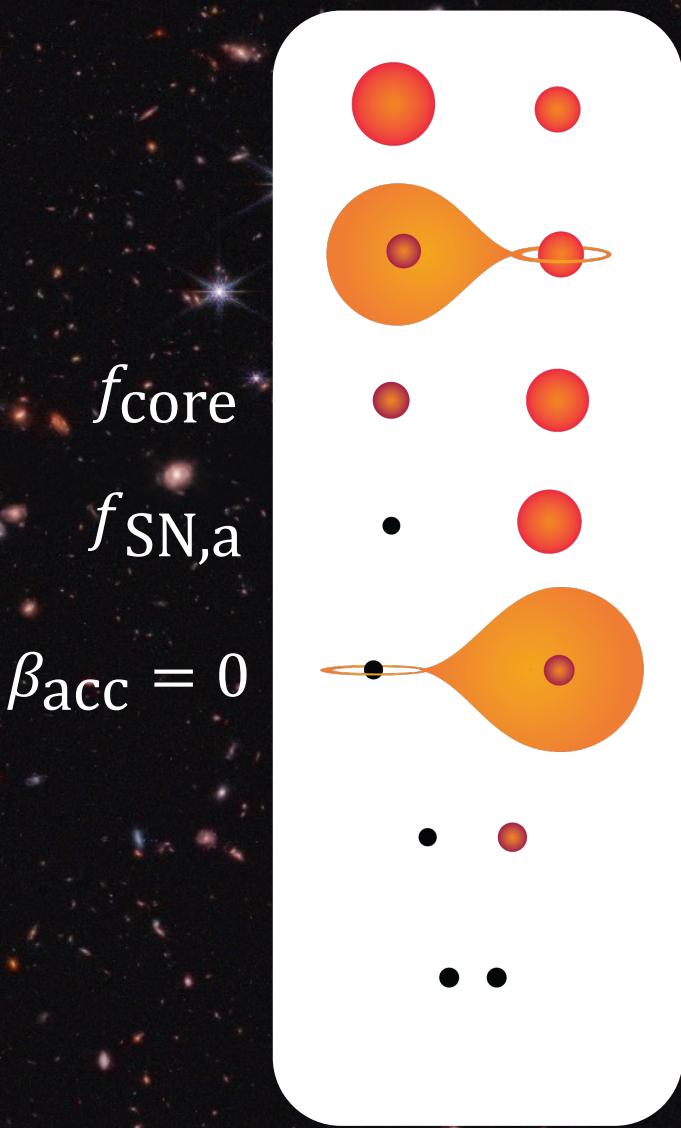


$$q_{D,A} < q_{\text{crit},1}$$
$$q_{D,A} < q_{\text{crit},2}$$



van Son et al, 2022

# Stable mass transfer channel

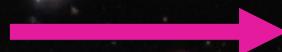


$q_{\text{crit},1}, \beta_{\text{acc}}$

$q_{\text{crit},2}$

$f_{\text{core}}$

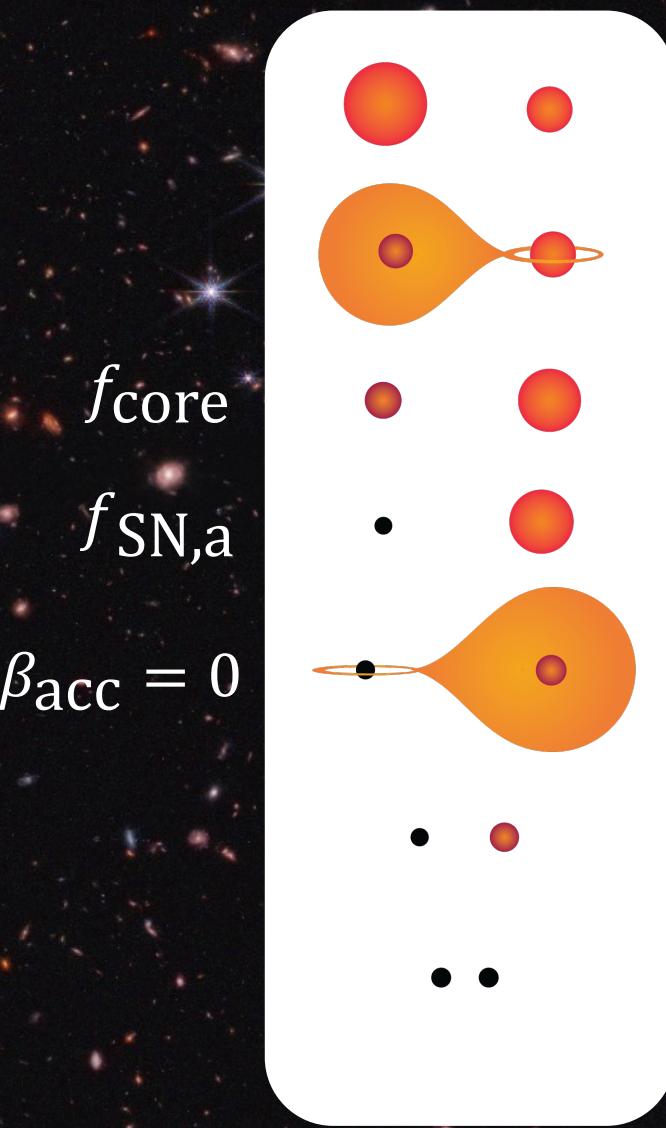
$f_{\text{SN},b}$



**Model for BBH mass ratio distribution**

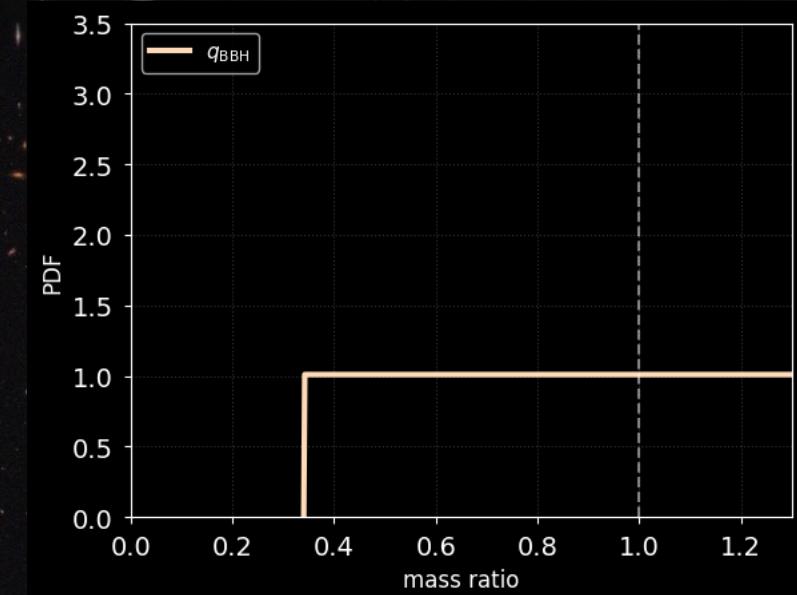
$$p(q | \vec{\Lambda})$$

# Stable mass transfer channel

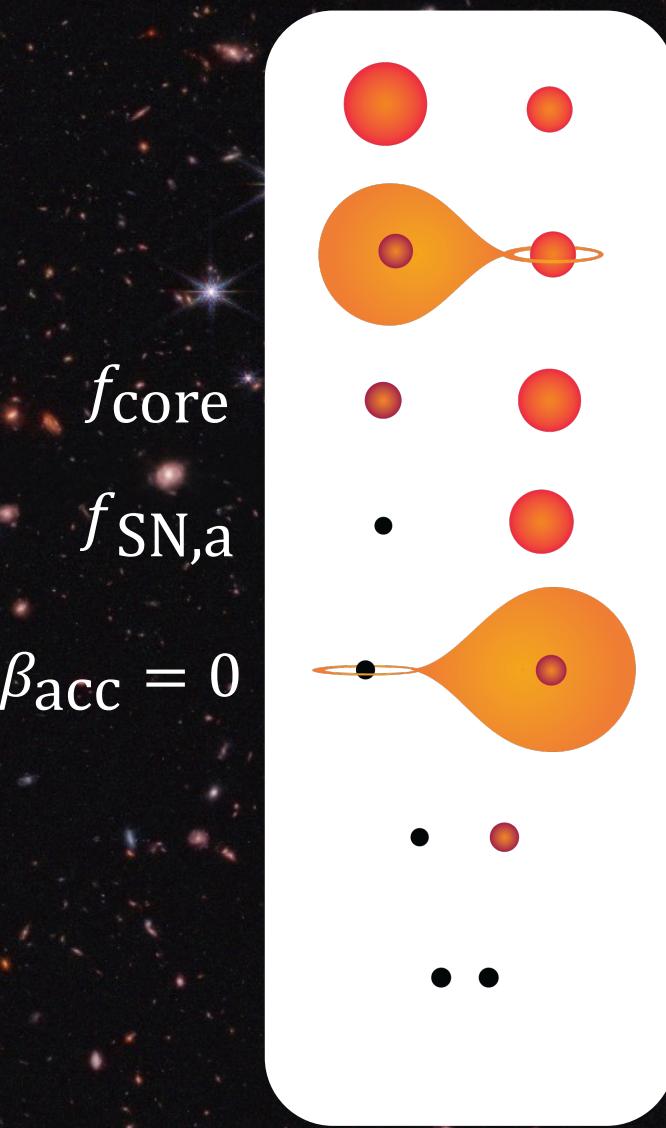


Model for BBH mass ratio distribution

$$p(q | \vec{\Lambda})$$

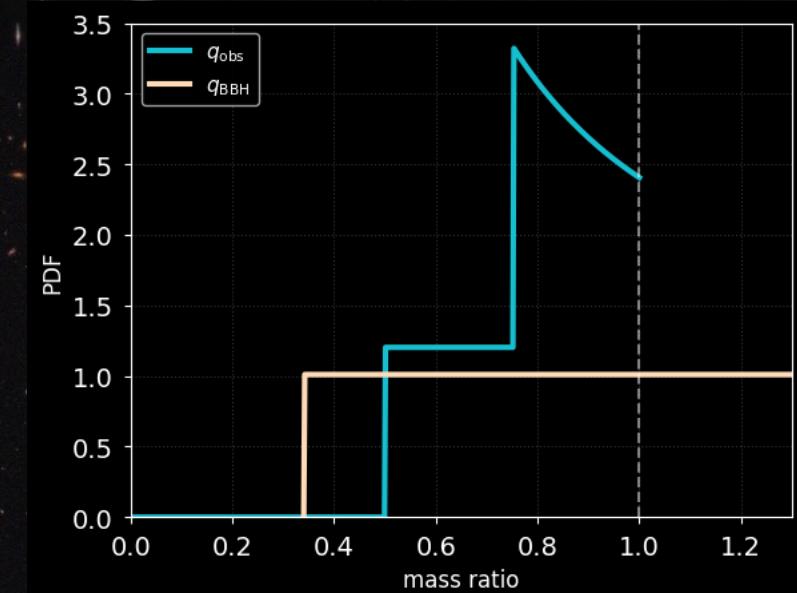


# Stable mass transfer channel



Model for BBH mass ratio distribution

$$p(q | \vec{\Lambda})$$



# What are $\vec{\Lambda}$ ?

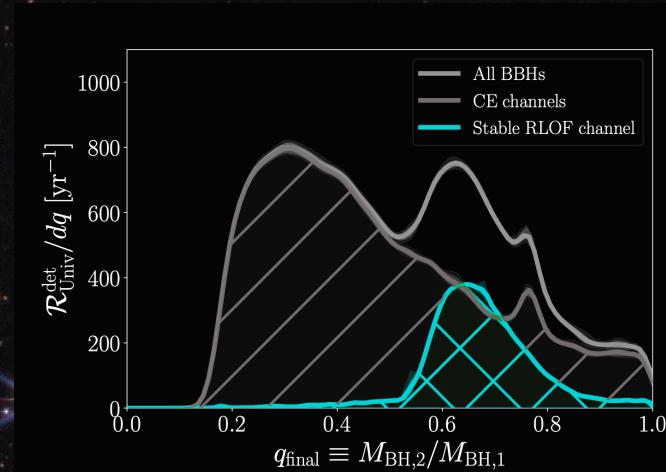
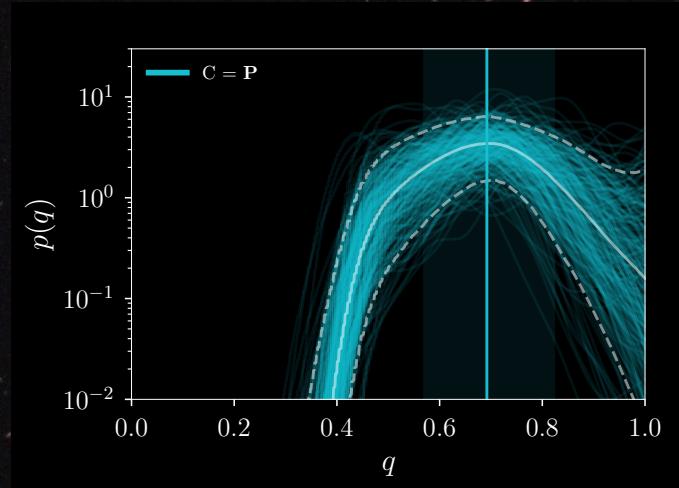
$$\zeta_*$$

$$f_{\text{core}}$$

$$f_{\text{SN,a}}$$

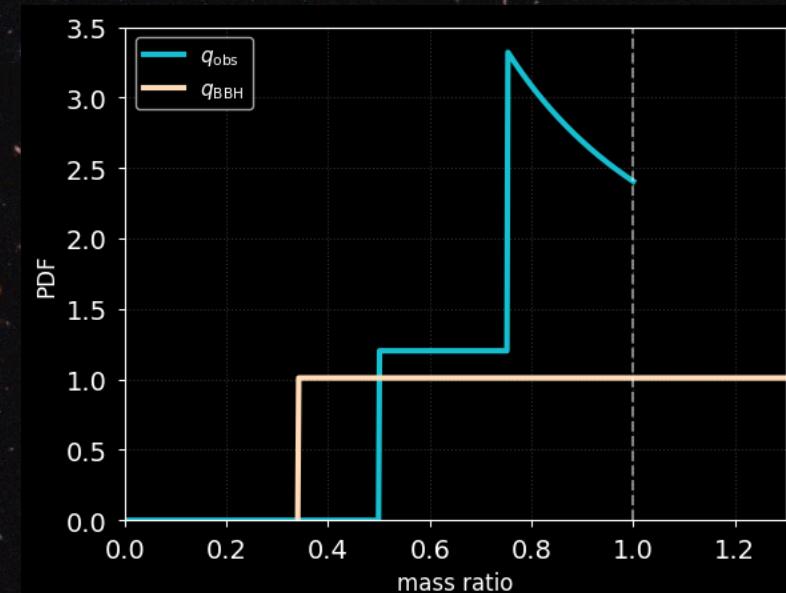
$$f_{\text{SN,b}}$$

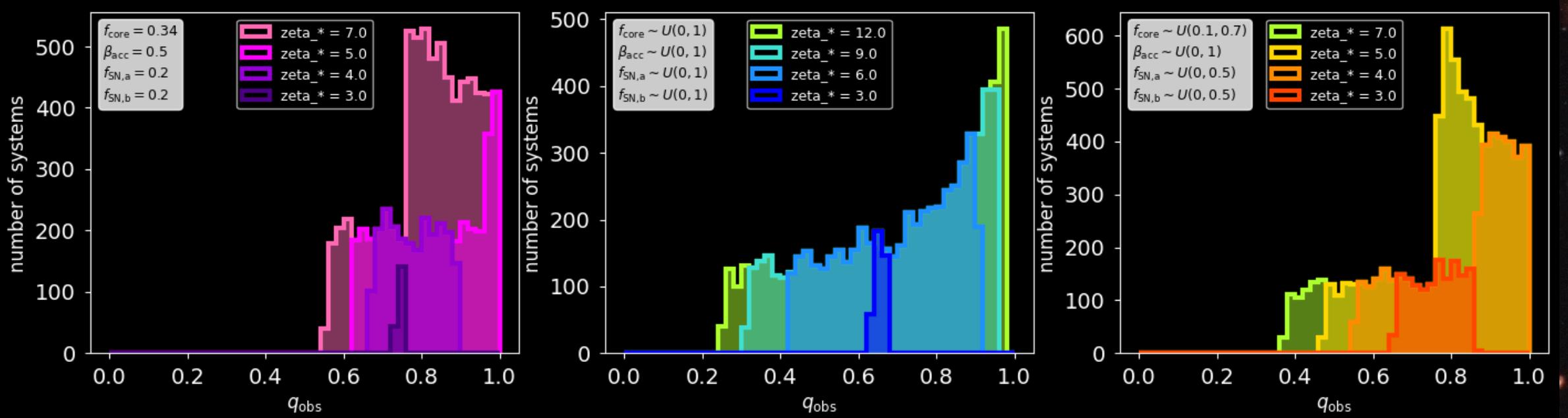
$$\beta_{\text{acc}}$$



## Model for BBH mass ratio distribution

$$p(q | \vec{\Lambda})$$





# Thank you!



@jblazeart